

### Proofs III

Construct proofs for each of the following **theorems** using conditional proof or indirect proof. Use the [general-purpose proof form](#) or do this on paper.

1.  $A \supset (B \supset A)$
2.  $(C \supset D) \equiv (\sim C \vee D)$
3.  $((A \supset B) \& (B \supset A)) \supset (A \equiv B)$
4.  $(C \equiv \sim D) \supset \sim(C \equiv D)$ . *This one isn't easy!*
5.  $\sim((A \vee \sim A) \supset (A \& \sim A))$
6.  $\sim(A \& \sim B) \supset (A \supset B)$
7.  $A \supset (A \vee ((B \vee (C \equiv \sim P)) \& Q))$  *This looks hard, but it's really easy!*
8.  $(E \supset F) \equiv \sim(\sim F \& E)$
9.  $((\sim R \vee S) \& (T \vee \sim S)) \supset (\sim T \supset \sim R)$
10.  $[(C \vee \sim D) \& (\sim C \& D)] \supset [C \equiv \sim(D \& \sim C)]$

[table of contents](#)

[List of Exercises](#)