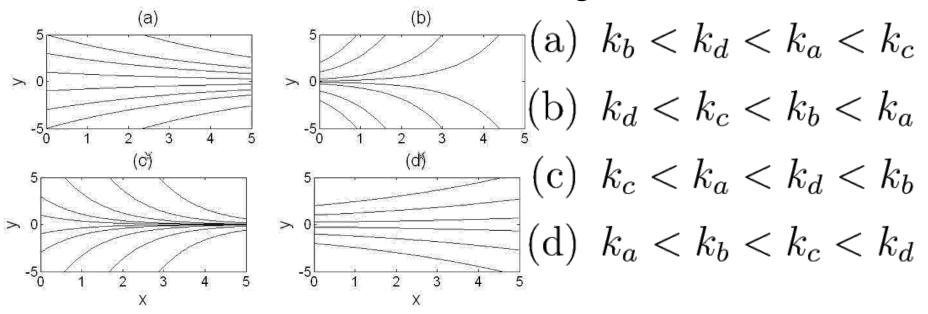
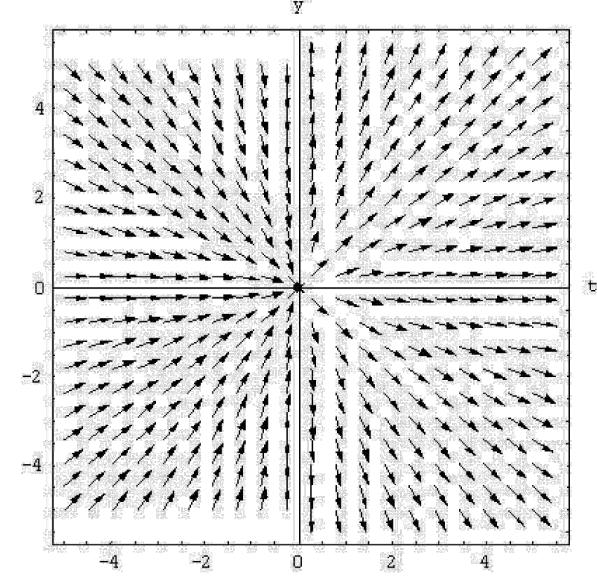
Question 1: Which of the following differential equations is **NOT** separable?

- (a) $y' = 3\sin x \cos y$
- (b) $y' = x^2 + 3y$
- (c) $y' = e^{2x+y}$
- (d) y' = 4x + 7
- (e) More than one of the above

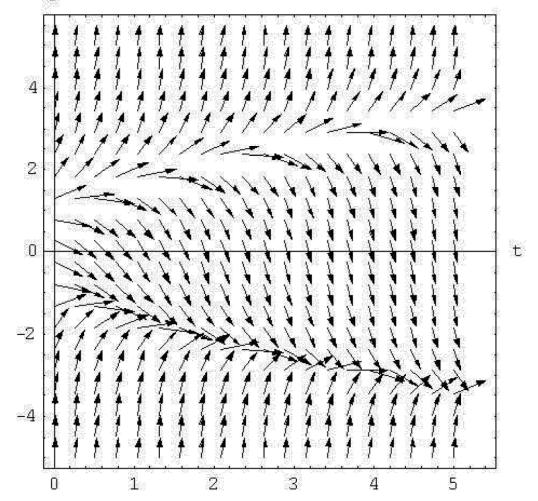
Question 2: If we separate the variables in the differential equation $3tz' = z^2$, you should get (a) $3z^{-2}dz = t^{-1}dt$ (d) $z = \sqrt{3z't}$ (b) $3tdt = z^2dt$ (e) This equation cannot be separated. (c) $3z'tdz = z^2dt$ **Question 3**: Each of the following graphs represents solution curves to y' = ky. Order the constants k from smallest to largest.



Question 4: Which of the following DEs would generate the slope field below?



A.y'=yt B.y'=y/t C.y'=-yt D.y'=-y/t **Question 5**: Consider the slope field which shows the derivative y' for a range of values for the function y and independent variable t. Suppose y(0)=-4. Predict y(5).



(a) $y(5) \approx -3$ (b) $y(5) \approx +3$ (c) $y(5) \approx 0$ (d) y(5) < -5(e) None of the above **Question 6**: Using Euler's Method, we obtain the difference equation $y_{n+1}=y_n+c\Delta t$ to approximate a differential equation. What is the ODE being estimated?

- A. y'=cy B. y'=y+c C. y'=c D. y'=y+c∆t
- E. None of the above

Question 7: Consider the differential equation y' = ay + b with parameters *a* and *b*. To approximate this differential equation using Euler's Method, what is the difference equation? (a) $y_{n+1} = ay_n + b$ (b) $y_{n+1} = y_n + ay_n \Delta t + b\Delta t$ (d) $y_{n+1} = y_n \Delta t + ay_n \Delta t + b\Delta t$ (c) $y_{n+1} = ay_n \Delta t + b\Delta t$ (e) None of the above **Question 8**: We have used Euler's Method to approximate the solution to a differential equation with the difference equation $z_{n+1}=1.2z_n$. We know that the function z(0)=3. Estimate z(2).

- (a) $z(2) \approx 3.6$ (c) $z(2) \approx 5.184$
- (b) $z(2) \approx 4.32$ (d) Not enough information is given.